

**Feedback parameter  $\lambda$** 

- References:
  - Notaro, M., 2008: Statistical identification of global hot spots in soil moisture feedbacks among IPCC AR4 models. *J. Geophys. Res.*, **113**, D09101, doi:10.1029/2007JD009199.
  - Orłowsky, B., and S. I. Seneviratne, 2010: Analysis of land-atmosphere feedbacks and their possible pitfalls. *J. Climate*, **23**, 3918-3932.
- Principle:
  - The influence of a slowly-varying variable  $X$  at time  $t$  on a faster atmospheric variable  $Y$  at future time  $t+dt$  can be estimated with a feedback parameter:  
$$\lambda = \frac{\text{cov}[X(t-\tau), Y(t)]}{\text{cov}[X(t-\tau), X(t)]}$$
 where  $\tau$  is a time scale  $> dt$ . The denominator is proportional to the lagged autocorrelation of  $X$ , or its memory.
- Data needs:
  - Time series of the two variables - well suited to large model output data sets. The larger the sample, the more robust and stable the results.
- Observational data sources:
  - Well suited to observational time series, but sensitive to sample size (see below).
- Caveats:
  - With finite data sets there will be sensitivity to the choice of  $\tau$ .
  - As with all correlation-based metrics, causal relationships are not guaranteed. This is not a process-level metric.
  - Likewise, the metric isolates only linear relationships. Nonlinear or categorical (threshold) relationships may not be well captured.